

## Estimation of pressure drop in gasket plate heat exchangers

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**Abstract.** In this paper, we present comparatively different methods of pressure drop calculation in the gasket plate heat exchangers (PHEs), using correlations recommended in literature on industrial data collected from a vegetable oil refinery. The goal of this study was to compare the results obtained with these correlations, in order to choose one or two for practical purpose of pumping power calculations. We concluded that pressure drop values calculated with Mulley relationship and Buonopane & Troupe correlation were close and also Bond's equation gave results pretty close to these but the pressure drop is slightly underestimated. Kumar correlation gave results far from all the others and its application will lead to oversize. In conclusion, for further calculations we will chose either the Mulley relationship or the Buonopane & Troupe correlation.

**Keywords:** pressure drop, edible oils, gasket plate heat exchangers.

### 1. Introduction

In order to be placed on the market, vegetable oils are subject to a refining process, when the product is improving both in terms of sensorial quality and stability during shelf storage. Gasket plate heat exchangers (PHE) are customary in all modern vegetable oil refineries. The Chevron type gasket plate heat exchangers were introduced in 1930 with dedication to the food industry because they have very good transfer coefficients and can be easily cleaned [1-4].

The calculation of pressure drop is an important part of the technological dimensioning of gasket plate heat exchangers since the power consumption for pumping is determined by the pressure loss in the equipment.

The estimation of pressure drop in exchangers is made with different correlations recommended in literature. All these correlations take into account the geometry of the equipment, the hydrodynamic regime and the physical properties of fluids.

Due to the regular shape of cross-corrugated passages in the PHEs, numerical models can reproduce with fidelity the geometry when investigating the buoyancy effects on pressure losses [5].

In recent years, the authors use finite element computational fluid dynamics (CFD) for the analysis of tortuosity, shape factor and friction factor determination [6].

Also, the Re-Normalization Group (RNG) method is used for the re-normalization of Navier-Stokes equations in prediction of vortex evolution and the calculation of friction factors and pressure losses [7].

However, different simple correlations developed empirically in laboratory by Kumar, Mulley, Bond, Buonopane, Gulenoglu and other scientists [8-13] can be applied in industrial conditions. The aim of this work was to select a reliable mathematical model from these simple correlations, for the estimation of pressure drop in gasket plate heat exchangers used in the vegetable oil refining industry.

### 2. Theoretical approach

The chevron-type plate is the most used element for PHEs. The plate corrugations are in form of chevron because this pattern is easy to manufacture. Longitudinal and transversal corrugations are plotted in two separated plans [7] and the corrugation angle can be 30°, 45° or 60°, but most frequently 60°.

In Fig. 1, the chevron-type plate is presented with the principal dimensions, some of them being used in hydrodynamic calculations:  $L_p$ - vertical port-to-port channel length, m;  $L_{eff}$ - effective length, m;  $L_h$ - horizontal port-to-port channel length, m;  $L_w$ - width of flow channel, m;  $D_p$ - port diameter, m;  $\beta$ - chevron angle, deg.

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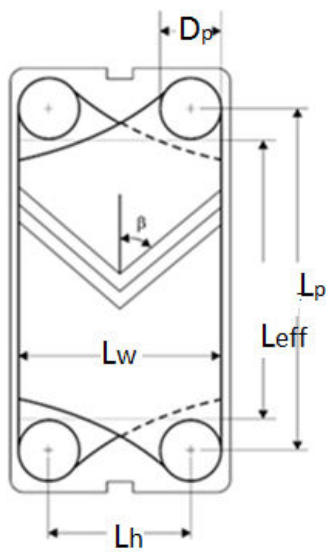


Fig.1.Chevron-type plate

The total pressure drop is the sum of pressure drop in channels and in the ports. It can be estimated with the Eq. (1):

$$\Delta p_t = \Delta p_c + \Delta p_p \quad (1)$$

where  $\Delta p_t$  represents the total pressure drop (Pa),  $\Delta p_c$  – channel pressure drop (Pa),  $\Delta p_p$  – port pressure drop (Pa).

The channel pressure drop is defined by the Eq. (2):

$$\Delta p_c = 4 \cdot f \cdot \left( \frac{L_p \cdot N_p}{d_h} \right) \cdot \left( \frac{G_{ch}^2}{2 \cdot \rho_{c,h}} \right) \cdot \left( \frac{\mu}{\mu_w} \right)^{-0.17} \quad (2)$$

where  $f$  represents the friction factor, non-dimensional;  $L_p$  – vertical port-to-port channel length, m;  $N_p$  – number of passes;  $d_h$  – hydraulic diameter, m;  $G_{ch}$  – the fluid mass velocity in the channel,  $\text{kg} \cdot \text{m}^{-2} \cdot \text{s}$ ;  $\rho_{c,h}$  – density for the cold respectively for the hot fluid,  $\text{kg}/\text{m}^3$ ;  $\mu$  – dynamic viscosity of fluid at the mean temperature in the apparatus,  $\text{Pa} \cdot \text{s}$ ;  $\mu_w$  – dynamic viscosity of fluids at the wall temperature,  $\text{Pa} \cdot \text{s}$ .

The friction factor  $f$  is calculated with different equations from literature as function of Reynolds number and chevron angle.

The pressure drop in the port ducts can be estimated with Eq. (3) [13]:

$$\Delta p_p = 1.4 \cdot N_p \cdot \left( \frac{G_p^2}{2 \cdot \rho_{c,h}} \right) \quad (3)$$

where  $N_p$  represents the number of passes,  $G_p$  – mass velocity of fluid in the port,  $\text{kg} \cdot \text{m}^{-2} \cdot \text{s}$ ;  $\rho_{c,h}$  – density for cold / hot fluids,  $\text{kg}/\text{m}^3$ .

The mass velocity for the cold and hot fluids in the port is calculated by Eq. (4):

$$G_p = \frac{\dot{m}}{\pi \left( \frac{D_p^2}{4} \right)} \quad (4)$$

where  $\dot{m}$  represents the total flow rate in the port opening ( $\text{kg}/\text{s}$ ),  $D_p$  – the port diameter, m [6, 8, 9].

As one can see in Eq. 1-4, the pressure drop in heat exchangers depends on equipment geometry, physical properties of fluids and flow conditions. The friction factor,  $f$ , is of great importance and there are dedicated correlations for its estimation.

For example, Kumar correlations (5) and (6) correlate  $f$  with the flow regime expressed as Reynolds numbers [13, 14]:

$$f = \frac{19,400}{Re^{0.589}}, \text{ for } Re = 10 - 100 \quad (5)$$

$$f = \frac{2,990}{Re^{0.183}}, \text{ for } Re > 100 \quad (6)$$

It is important to know that, according to Kumar's observations, the critical Reynolds value for the transition from the laminar to the turbulent flow in PHEs, is approximately 100 [6,14] since for other authors [15,16], the turbulent regime starts at  $Re \approx 400$ .

The early buoyancy apparition is linked to the shape of cross-corrugated passages and the abrupt change in density and viscosity of fluids due to strong variation of its temperature in a short distance.

Other researchers developed correlations of  $f$  with  $Re$ , in their own way, following experimental studies. All these equations (Eq. 5-10) are empirical:

- Bond correlation I [13]:

$$f = 3,01 \cdot Re^{-0.457} \quad (7)$$

- Buonopane & Troupe correlation [11]:

$$f = \frac{2,5}{Re^{0.3}} \quad (8)$$

- Bond correlation II [9]:

$$f = 2,886 \cdot Re^{-0.457} \quad (9)$$

- Gulenoglu correlation [12]:

$$f = 259,9 \cdot Re^{-0.9227} + 1,246 \quad (10)$$

Mulley [12] developed a more complex correlation (Eq. 11) taking into account the most important geometrical dimension, from the viewpoint of friction, the corrugation inclination angle relative to vertical direction,  $\beta$ , so called chevron angle:

$$f = \left( \frac{\beta}{30} \right)^{0.83} \cdot \left[ \left( \frac{30,2}{Re} \right)^5 + \left( \frac{6,28}{Re^{0.5}} \right)^5 \right]^{0.2} \quad (11)$$

### 3. Experimental

There were six gasket plate heat exchangers in the industrial plant of different size and with different working fluids (oils with changing properties, cooling water and condensing steam).

In the degumming and neutralization stage, the working fluids are crude oil - bleached oil in PHE #1, crude oil – steam in PHE #2, crude oil – water in PHE #3 and crude oil – steam in PHE #4. In the winterizing stage, the working fluids are bleached oil – water in PHE #5 and in the deodorization stage the working fluids are deodorization oil – water in PHE #6.

The experiment was performed in three campaigns, as follows:

- Campaign 1: processing sunflower oil
- Campaign 2: processing rapeseed oil
- Campaign 3: processing sunflower oil

Every campaign was a few days long, the stock of raw had constant quality during one campaign and the flow rates and temperatures in the process were constant for days. However, inside of each campaign, there were found little changes in flow rates and temperatures, allowing us to have in the end 9 different sets of data for the purposes of this study.

The physical properties of oils (density, viscosity), in all stages of the process, were measured at atmospheric pressure with Anton Parr SVM 3000 apparatus, following the ASTM D445/ISO 121852 method, in the range of 20 °C-110 °C, with a precision

of  $\pm 0,005$  °C for temperature,  $\pm 0,0002$  g/cm<sup>3</sup> for density and  $\pm 0,1\%$  for the viscosity. The variation curves of density and viscosity with temperature were draw and discussed in previous works [17, 18]. Properties for cooling water and steam were found in [19].

With the geometrical characteristics of each heat exchanger and the physical properties of fluid calculated in the working conditions, the pressure drop was calculated for each circuit with the following correlations: Kumar (Eq. 5 or 6 depending on flow regime), Bond I (Eq. 7), Buonopane & Troupe (Eq. 8), Bond II (Eq. 9), Gulenoglu (Eq. 10) and Mulley (Eq. 11).

Results are presented in Tables 1-6, each table corresponding to one of the six PHEs in the industrial plant.

### 4. Results and Discussions

For gasket plate heat exchanger PHE #1, the working fluids are crude oil - bleached oil. Both fluids are liquid and work in the laminar flow ( $Re < 100$ ). The pressure drop values calculated for this equipment with Eq. 5-11 are presented in Table 1. It can be observed that the highest values of pressure drop are obtained using Kumar relationship Eq. 5, 2-3 times higher than using other methods. Mulley and Buonopane & Troupe correlations give closer results, as also seen in Table 7.

**Table 1.** Pressure drop in PHE #1 calculated with different correlations

Working fluids	Density, [kg/m <sup>3</sup> ]	Dinamic viscosity, [Pa·s]	Flow rate, [kg/s]	Reynolds number	Pressure drop, [Pa]	Kumar correlation	Mulley correlation	Bond I correlation	Buonopane & Troupe correlation
<b>First campaign, sunflower oil</b>									
Crude oil	890.0	0.0132	1.736	27	$\Delta p_c$	36957	17765	8876	12396
					$\Delta p_p$	4	4	4	4
					$\Delta p_t$	36961	17769	8880	12400
Bleached oil	877.6	0.0131	2.138	58	$\Delta p_c$	40217	19046	1096	16734
					$\Delta p_p$	6	6	6	6
					$\Delta p_t$	40223	19052	10702	16740
Crude oil	890.0	0.0132	2.049	32	$\Delta p_c$	46732	15884	8227	16440
					$\Delta p_p$	5	5	5	5
					$\Delta p_t$	46,737	15,889	8,232	16,445
Bleached oil	877.6	0.0131	2.524	68	$\Delta p_c$	50819	24255	13698	22149
					$\Delta p_p$	8	8	8	8
					$\Delta p_t$	50827	24263	13706	22157
Crude oil	890.0	0.0132	2.457	39	$\Delta p_c$	60339	14173	7571	22376
					$\Delta p_p$	8	8	8	8
					$\Delta p_t$	60347	14181	7579	22384
Bleached oil	877.6	0.0131	3.026	81	$\Delta p_c$	65548	31655	19660	30122
					$\Delta p_p$	12	12	12	12
					$\Delta p_t$	65560	31667	19672	30134
Crude oil	890.0	0.0132	2.713	43	$\Delta p_c$	69399	13358	7236	26485
					$\Delta p_r$	9	9	9	9
					$\Delta p_t$	69409	13367	7245	26494
Bleached oil	877.6	0.0131	3.342	90	$\Delta p_c$	75508	36763	21252	35770
					$\Delta p_p$	14	14	14	14
					$\Delta p_t$	75522	36778	21266	35784

Second campaign, rapeseed oil									
Crude oil	876.0	0.0162	2.72	45	$\Delta p_c$	68356	32150	17558	26562
					$\Delta p_p$	9	9	9	
					$\Delta p_t$	68365	32159	17567	26571
Bleached oil	888.80	0.0126	3.35	72	$\Delta p_c$	83279	39870	22691	36823
					$\Delta p_p$	14	14	14	
					$\Delta p_t$	83293	39884	22705	36837
Third campaign, sunflower oil									
Crude oil	889.9	0.0142	1.736	33	$\Delta p_c$	33464	15837	8243	11864
					$\Delta p_p$	4	4	4	
					$\Delta p_t$	33468	15841	8247	11868
Bleached oil	877.1	0.011	2.138	53	$\Delta p_c$	41509	19587	10870	16827
					$\Delta p_p$	6	6	6	
					$\Delta p_t$	41515	19593	10876	16833
Crude oil	889.9	0.0142	2.049	39	$\Delta p_c$	42283	19893	10646	15726
					$\Delta p_r$	5	5	5	
					$\Delta p_t$	42288	19898	10651	15731
Bleached oil	877.1	0.011	2.524	62	$\Delta p_c$	5244	24921	14038	22304
					$\Delta p_p$	8	8	8	
					$\Delta p_t$	52455	24929	14046	22312
Crude oil	889.9	0.0142	2.457	47	$\Delta p_c$	54631	25706	14088	21414
					$\Delta p_p$	8	8	8	
					$\Delta p_t$	54639	25713	14096	21422
Bleached oil	877.1	0.011	3.026	75	$\Delta p_c$	67764	32537	18578	30371
					$\Delta p_r$	12	12	12	
					$\Delta p_t$	67776	32549	18590	30383
Crude oil	889.9	0.0142	2.713	52	$\Delta p_c$	62832	29633	16416	25344
					$\Delta p_r$	9	9	9	
					$\Delta p_t$	62841	29642	16426	25353
Bleached oil	877.1	0.011	3.342	82	$\Delta p_c$	77935	37668	21648	35945
					$\Delta p_r$	14	14	14	
					$\Delta p_t$	77494	37682	21662	35959

The working fluids for gasket plate heat exchanger PHE #2 are crude oil and steam. The results of pressure drop for crude oil – steam are presented in Table 2. Reynolds numbers indicate a turbulent flow either we accept the critical  $Re > 100$  [6, 14], or  $Re > 400$  [15, 16] for the transition to the turbulent flow. As a consequences, pressure drop on the oil circuit are higher than those in the PDE #1.

It can be observed from Table 2 that the Kumar relationship give the highest values of pressure drops

for both oil and steam circuits. The pressure drop on the condensing steam circuit is higher than on oil because the turbulent flow is well developed. By comparing the values of pressure drop in the steam circuit, there are observed high differences, the Kumar correlation giving results tenfold higher than Bond correlation and even differences between the other correlations' results are important. This is due to the fact that all these correlations were produced for liquids working in PHEs.

**Table 2.** Pressure drop values in PHE #2 calculated with different correlations

Working fluids	Density, [kg/m <sup>3</sup> ]	Dinamic viscosity, [Pa·s]	Flow rate, [kg/s]	Pressure drop, [Pa]	Reynolds number	Kumar correlation	Mulley correlation	Buonopane & Troupe correlation	Bond I correlation
First campaign, sunflower oil									
Crude oil	874.3	0.0087	1.736	$\Delta p_c$	328	50223	39621	24339	11830
				$\Delta p_p$		3	3	3	3
				$\Delta p_t$		50227	39624	24342	11833
Steam	1.923	0.000015	0.023	$\Delta p_c$	9309	121950	14136	35002	10037
				$\Delta p_p$		6	6	6	6
				$\Delta p_t$		121956	14142	35008	10042
Crude oil	874.3	0.0087	2.049	$\Delta p_c$	387	66606	46261	31488	15999
				$\Delta p_p$		5	5	5	5
				$\Delta p_t$		66611	46266	31493	16004
Steam	1.923	0.000015	0.028	$\Delta p_c$	10987	164814	18135	46396	12962
				$\Delta p_p$		8	8	8	8

				$\Delta p_t$		164822	18143	46396	12970
Crude oil	874.3	0.0087	2.475	$\Delta p_c$	467	91885	50814	42167	22536
				$\Delta p_p$		7	7	7	7
				$\Delta p_t$		91892	50821	42174	22542
Steam	1.923	0.000015	0.033	$\Delta p_c$	13175	229239	23802	63175	17155
				$\Delta p_p$		11	11	11	11
				$\Delta p_t$		229250	23813	63186	17156
Crude oil	874.3	0.0087	2.713	$\Delta p_c$	513	107664	77655	48709	26734
				$\Delta p_p$		8	8	8	8
				$\Delta p_t$		107671	77663	48717	26743
Steam	1.923	0.000015	0.037	$\Delta p_c$	14548	274474	27618	74769	19989
				$\Delta p_p$		14	14	14	14
				$\Delta p_t$		274488	27632	74783	20003
Second campaign, rapeseed oil									
Crude oil	873.0	0.011	2.72	$\Delta p_c$	425	18583	93262	57976	18531
				$\Delta p_p$		36	36	36	36
				$\Delta p_t$		18619	93270	57985	18567
Steam	1.923	0.000015	0.037	$\Delta p_c$	14585	274625	27819	74992	20105
				$\Delta p_p$		15	15	15	15
				$\Delta p_t$		274640	27834	75007	20120
Third campaign, sunflower oil									
Crude oil	873.2	0.0091	1.736	$\Delta p_c$	313	58810	43562	26925	22612
				$\Delta p_p$		4	4	4	4
				$\Delta p_t$		58814	43562	26929	22616
Steam	1.923	0.000015	0.028	$\Delta p_c$	9309	121950	14136	35002	10037
				$\Delta p_p$		6	6	6	6
				$\Delta p_t$		121956	14142	35008	10042
Crude oil	873.2	0.0091	2.049	$\Delta p_c$	369	73513	56631	34991	28251
				$\Delta p_p$		5	5	5	5
				$\Delta p_t$		73518	56636	34996	28256
Steam	1.923	0.000015	0.033	$\Delta p_c$	10987	164814	18135	46396	12962
				$\Delta p_p$		8	8	8	8
				$\Delta p_t$		164822	18143	46396	12970
Crude oil	873.2	0.0091	2.475	$\Delta p_c$	443	100100	74357	46307	39294
				$\Delta p_r$		7	7	7	7
				$\Delta p_t$		100107	74363	46314	39301
Steam	1.923	0.000015	0.033	$\Delta p_c$	13175	229239	23802	63175	17155
				$\Delta p_p$		11	11	11	11
				$\Delta p_t$		229250	23813	63186	17156
Crude oil	873.2	0.0091	2.713	$\Delta p_c$	489	118470	86273	53959	47047
				$\Delta p_p$		8	8	8	8
				$\Delta p_t$		118478	86281	53968	47052
Steam	1.923	0.000015	0.037	$\Delta p_c$	14548	274474	27618	74769	19989
				$\Delta p_p$		14	14	14	14
				$\Delta p_t$		274488	27632	74783	20003

Working fluids for gasket plate heat exchanger PHE#3 are crude oil and water. Table 3 presents the values of pressure drops.

From Table 3, also it can be observed that highest values of pressure drop are obtained with Kumar correlation. Also, there are higher values of pressure drop on water circuit because the mass velocity of water is three times higher than that of oil in similar flow sections; it is to be considered that pressure drop

is also dependent on friction factor,  $f$ , decreasing with  $Re$ , and  $f$  is four times higher in the oil circuit. The combined effect of this two antagonist factors led to pressure drop double in the water circuit.

For gasket plate heat exchanger PHE #4, the working fluids are crude oil and steam. The pressure drop values for this equipment are presented in Table 4.

**Table 3.** Pressure drop values in PHE #3 calculated with different correlations

Working fluids	Density, [kg/m <sup>3</sup> ]	Dinamic viscosity, [Pa·s]	Flow rate, [kg/s]	Pressure drop, [Pa]	Reynolds number	Kumar correlation	Mulley correlation	Bond I correlation	Buonopane & Troupe correlation
First campaign, sunflower oil									
Crude oil	888.0	0.0157	1.736	$\Delta p_c$	25	13563	11185	3212	4415
				$\Delta p_p$		2	2	2	2
				$\Delta p_t$		13565	11187	3214	4417
Water	987.9	0.00077	5.251	$\Delta p_c$	154	26009	6978	5135	9203
				$\Delta p_p$		15	15	15	15
				$\Delta p_t$		26024	6993	5150	9218
Crude oil	888.0	0.0157	2.049	$\Delta p_c$	29	17136	14570	4149	5852
				$\Delta p_p$		3	3	3	3
				$\Delta p_t$		17139	14572	4152	5855
Water	987.9	0.00077	6.198	$\Delta p_c$	1782	33701	8134	6616	11766
				$\Delta p_p$		21	21	21	21
				$\Delta p_t$		33723	8156	6637	11788
Crude oil	888.0	0.0157	2.475	$\Delta p_c$	35	22142	19634	5491	7969
				$\Delta p_p$		4	4	4	4
				$\Delta p_t$		22146	19638	5495	7973
Water	987.9	0.00077	7.432	$\Delta p_c$	2155	47596	11397	9272	16211
				$\Delta p_p$		31	31	31	31
				$\Delta p_t$		47627	11428	9303	16242
Crude oil	888.0	0.0157	2.713	$\Delta p_c$	39	25476	23182	6402	9437
				$\Delta p_p$		5	5	5	5
				$\Delta p_t$		25480	23186	6407	9441
Water	987.9	0.00077	8.206	$\Delta p_c$	2386	57321	13701	15126	19266
				$\Delta p_p$		38	38	38	38
				$\Delta p_t$		57359	13740	15164	19304
Second campaign, rapeseed oil									
Crude oil	886.7	0.0152	2.720	$\Delta p_c$	40	24608	22824	6211	9201
				$\Delta p_p$		5	5	5	5
				$\Delta p_t$		24612	22829	6215	9205
Water	987.9	0.00077	8.227	$\Delta p_c$	2391	57511	13769	11194	19352
				$\Delta p_p$		38	38	38	38
				$\Delta p_t$		57549	13807	11232	19390
Third campaign, sunflower oil									
Crude oil	886.9	0.0132	1.736	$\Delta p_c$	29	12034	11439	2915	4116
				$\Delta p_p$		2	2	2	2
				$\Delta p_t$		12036	11441	2917	4118
Water	987.9	0.00077	5.251	$\Delta p_c$	1526	25433	6942	5017	9018
				$\Delta p_p$		16	16	16	16
				$\Delta p_t$		25449	6958	5033	9034
Crude oil	886.9	0.0132	2.049	$\Delta p_c$	35	15207	15586	3765	5457
				$\Delta p_p$		3	3	3	3
				$\Delta p_t$		15210	15589	3788	5460
Water	987.9	0.00077	6.198	$\Delta p_c$	1801	34372	7230	6747	11955
				$\Delta p_p$		22	22	22	22
				$\Delta p_t$		34394	7252	6769	11977
Crude oil	886.9	0.0132	2.475	$\Delta p_c$	42	19648	17751	4984	7430
				$\Delta p_p$		4	4	4	4
				$\Delta p_t$		19651	17755	4988	7434
Water	987.9	0.00077	7.432	$\Delta p_c$	2160	47808	11285	9334	16279
				$\Delta p_p$		31	31	31	31
				$\Delta p_t$		47839	11316	9365	16310
Crude oil	886.9	0.0132	2.713	$\Delta p_c$	46	22597	20794	5842	8794
				$\Delta p_p$		5	5	5	5
				$\Delta p_t$		22602	20799	5847	8799
Water	987.9	0.00077	8.206	$\Delta p_c$	2385	5724	13584	1143	19267
				$\Delta p_p$		38	38	38	38
				$\Delta p_t$		57280	13622	11181	19305

**Table 4.** Pressure drop values in PHE #4 calculated with different correlations

Working fluids	Density, [kg/m <sup>3</sup> ]	Dinamic viscosity, [Pa·s]	Flow rate, [kg/s]	Pressure drop, [Pa]	Reynolds number	Kumar correlation	Mulley correlation	Bond I correlation	Buonopane & Troupe correlation
First campaign, sunflower oil									
Crude oil	883.4	0.0128	1.736	$\Delta p_c$	102	33443	16312	9495	16278
				$\Delta p_r$		14	14	14	14
				$\Delta p_t$		33457	16326	9519	16292
Steam	1.923	0.000015	0.050	$\Delta p_c$	9104	89006	10390	7370	25613
				$\Delta p_r$		73	73	73	73
				$\Delta p_t$		89079	10443	7443	25686
Crude oil	883.4	0.0128	2.049	$\Delta p_c$	120	45131	20840	12230	21532
				$\Delta p_r$		19	19	19	19
				$\Delta p_t$		45150	20859	12249	21551
Steam	1.923	0.000015	0.059	$\Delta p_c$	10745	120291	13323	9519	33950
				$\Delta p_r$		101	101	101	101
				$\Delta p_t$		120392	13424	9620	34051
Crude oil	883.4	0.0128	2.475	$\Delta p_c$	144	63085	27440	16242	29499
				$\Delta p_r$		28	28	28	28
				$\Delta p_t$		63113	27468	16270	29527
Steam	1.923	0.000015	0.071	$\Delta p_c$	12885	167311	17495	12597	46230
				$\Delta p_r$		145	145	145	145
				$\Delta p_t$		167456	17640	12742	46375
Crude oil	883.4	0.0128	2.713	$\Delta p_c$	159	75320	31778	18912	34792
				$\Delta p_r$		35	35	35	35
				$\Delta p_t$		75355	31813	18947	34827
Steam	1.923	0.000015	0.078	$\Delta p_c$	14228	200326	20299	14678	54714
				$\Delta p_r$		177	177	177	177
				$\Delta p_t$		200503	20476	14855	54891
Second campaign, rapeseed oil									
Crude oil	882.1	0.0133	2.72	$\Delta p_c$	154	83473	35650	21180	38780
				$\Delta p_r$		35	35	35	35
				$\Delta p_t$		83508	35685	21215	38816
Steam	1.923	0.000015	0.078	$\Delta p_c$	14265	209422	20450	14820	55012
				$\Delta p_r$		185 <sup>1</sup>	185	185	185
				$\Delta p_t$		209607	20635	15005	55197
Third campaign, sunflower oil									
Crude oil	882.3	0.0115	1.736	$\Delta p_c$	113.4	35936	16906	9894	17273
				$\Delta p_r$		14	14	14	14
				$\Delta p_t$		35950	16910	9908	17287
Steam	1.923	0.000015	0.050	$\Delta p_c$	9104	89006	10390	7370	25613
				$\Delta p_r$		73	73	73	73
				$\Delta p_t$		89079	10443	7443	25686
Crude oil	882.3	0.0115	2.049	$\Delta p_c$	134	48566	21652	12778	22896
				$\Delta p_r$		20	20	20	20
				$\Delta p_t$		48586	21672	12798	22916
Steam	1.923	0.000015	0.059	$\Delta p_c$	10745	120291	13323	9519	33950
				$\Delta p_r$		101	101	101	101
				$\Delta p_t$		120392	13424	9620	34051
Crude oil	882.3	0.0115	2.457	$\Delta p_c$	161	67551	28406	16911	31177
				$\Delta p_r$		28	28	28	28
				$\Delta p_t$		67579	28434	16939	31205
Steam	1.923	0.000015	0.071	$\Delta p_c$	12885	167311	17495	12597	46230
				$\Delta p_r$		145	145	145	145
				$\Delta p_t$		167456	17640	12742	46375
Crude oil	882.3	0.0115	2.713	$\Delta p_c$	177	80881	32948	19705	36899
				$\Delta p_r$		35	35	35	35
				$\Delta p_t$		80816	32983	19740	36934
Steam	1.923	0.000015	0.078	$\Delta p_c$	14228	200326	20299	14678	54714
				$\Delta p_r$		177	177	177	177
				$\Delta p_t$		200503	20476	14855	54891

The pressure drop in the crude oil circuit in PHE #4 is smaller than in similar PHE #2 because the route length is smaller and the section area is double in PHE #4 comparing with PHE#2. The same can be said about pressure drop on steam circuit. Also, the same

considerations made at PHE #2 about the differences between the results calculated with different correlations for the steam circuit are valid for the PHE#4.

**Table 5.** Pressure drop values in PHE #5 calculated with different correlations

Working fluids	Density, [kg/m <sup>3</sup> ]	Dinamic viscosity, [Pa·s]	Flow rate, [kg/s]	Pressure drop, [Pa]	Reynolds number	Kumar correlation	Bond I correlation	Buonopane & Troupe correlation	Muley correlation
First campaign, sunflower oil									
Bleached oil	895.2	0.022	1.940	$\Delta p_c$	25	26727	6321	8713	13034
				$\Delta p_r$		2	2	2	2
				$\Delta p_t$		26729	6323	8715	13036
Water	988.4	0.00078	2.546	$\Delta p_c$	921	11165	2240	4207	2556
				$\Delta p_r$		4	4	4	4
				$\Delta p_t$		11169	2244	4211	2560
Bleached oil	895.2	0.022	2.193	$\Delta p_c$	28	31757	7653	10718	15268
				$\Delta p_r$		3	3	3	3
				$\Delta p_t$		31760	7656	10721	15330
Water	988.4	0.00078	2.878	$\Delta p_c$	1038	13977	2778	5144	3287
				$\Delta p_r$		5	5	5	5
				$\Delta p_t$		13982	2783	5149	3292
Bleached oil	895.2	0.022	2.490	$\Delta p_c$	32	37996	9314	13315	18071
				$\Delta p_r$		4	4	4	4
				$\Delta p_t$		38000	9318	13319	18075
Water	988.4	0.00078	3.268	$\Delta p_c$	1179	17487	3480	6384	4065
				$\Delta p_r$		6	6	6	6
				$\Delta p_t$		17493	3486	6390	4158
Bleached oil	895.2	0.022	2.755	$\Delta p_c$	35	41614	10838	15808	20734
				$\Delta p_r$		5	5	5	5
				$\Delta p_t$		41619	10843	15813	20737
Water	988.4	0.00078	3.616	$\Delta p_c$	1305	21054	4163	7594	4905
				$\Delta p_r$		7	7	7	7
				$\Delta p_t$		21061	4170	7601	4912
Second campaign, rapeseed oil									
Bleached oil	893.6	0.018	2.76	$\Delta p_c$	38	42012	10525	15455	19781
				$\Delta p_r$		5	5	5	5
				$\Delta p_t$		42017	10530	15460	19786
Water	988.4	0.00078	3.622	$\Delta p_c$	1306	21069	4173	7603	4930
				$\Delta p_r$		7	7	7	7
				$\Delta p_t$		21076	4180	7610	4937
Third campaign, sunflower oil									
Bleached oil	894.65	0.0206	1.940	$\Delta p_c$	30	23577	5739	8141	11227
				$\Delta p_r$		2	2	2	2
				$\Delta p_t$		23579	5741	8143	11229
Water	988.4	0.00078	2.546	$\Delta p_c$	919	11102	2223	4178	2556
				$\Delta p_r$		4	4	4	4
				$\Delta p_t$		11106	2227	4182	2560
Bleached oil	894.65	0.0206	2.193	$\Delta p_c$	34	28029	6935	10027	13243
				$\Delta p_r$		3	3	3	3
				$\Delta p_t$		28032	6937	10030	13246
Water	988.4	0.00078	2.878	$\Delta p_c$	1038	13872	2768	5146	3210
				$\Delta p_r$		5	5	5	5
				$\Delta p_t$		13877	2773	5151	3215
Bleached oil	894.65	0.0206	2.490	$\Delta p_c$	39	33529	8432	12442	15776
				$\Delta p_r$		4	4	4	4
				$\Delta p_t$		33533	8436	12446	15780
Water	988.4	0.00078	3.268	$\Delta p_c$	1179	17473	3474	6386	4065
				$\Delta p_r$		6	6	6	6
				$\Delta p_t$		17479	3480	6392	4071
Bleached oil	894.65	0.0206	2.755	$\Delta p_c$	43	38672	9854	14776	18181
				$\Delta p_r$		5	5	5	5
				$\Delta p_t$		38677	9859	14781	18186
Water	988.4	0.00078	3.616	$\Delta p_c$	1304	21003	4162	7584	4905
				$\Delta p_r$		7	7	7	7
				$\Delta p_t$		21010	4169	7591	4912

The working fluids for gasket plate heat exchanger #5 are bleached oil and water. The

calculated pressure drop values for bleached oil and water are presented in Table 5.



In this case too, the pressure drops calculated by Kumar relationship are higher than with other methods. The methods of Bond, Mulley and Buonopane give closer values.

In the heat exchanger #6 the working fluids are deodorized oil – water. The pressure drop values for this equipment are presented in Table 6.

**Table 6.** Pressure drop values in PHE #6 calculated with different correlations

Working fluids	Density, [kg/m <sup>3</sup> ]	Dinamic viscosity, [Pa·s]	Flow rate, [kg/s]	Pressure drop, [Pa]	Reynolds number	Kumar correlation	Bond I correlation	Buonopane & Troupe correlation	Mulley correlation
First campaign, sunflower oil									
Deodorized oil	879.2	0.0109	1.736	$\Delta p_c$	19	4904	1123	1484	2500
				$\Delta p_r$		2	2	2	
				$\Delta p_t$		4906	1125	1486	2502
Water	986.75	0.00074	6.02	$\Delta p_c$	979	10533	2099	3937	2437
				$\Delta p_r$		24	24	24	
				$\Delta p_t$		10558	2124	3962	2457
Deodorized oil	879.2	0.0109	2.049	$\Delta p_c$	23	6137	1449	1963	3059
				$\Delta p_r$		3	3	3	
				$\Delta p_t$		6140	1451	1966	3062
Water	986.75	0.00074	7.100	$\Delta p_c$	1154	14186	2827	5205	3316
				$\Delta p_r$		28	28	28	
				$\Delta p_t$		14215	2855	5234	3345
Deodorized oil	879.2	0.0109	2.475	$\Delta p_c$	27	8003	1920	2678	3854
				$\Delta p_r$		4	4	4	
				$\Delta p_t$		8007	1924	2682	3858
Water	986.75	0.00074	8.500	$\Delta p_c$	1379	19611	3706	7046	4646
				$\Delta p_r$		41	41	41	
				$\Delta p_t$		19652	3747	7087	4688
Deodorized oil	879.2	0.0109	2.713	$\Delta p_c$	30	9205	2234	3171	4389
				$\Delta p_r$		5	5	5	
				$\Delta p_t$		9210	2239	3176	4394
Water	986.75	0.00074	9.400	$\Delta p_c$	1528	23614	4656	8375	5584
				$\Delta p_r$		50	50	50	
				$\Delta p_t$		23664	4706	8425	5634
Second campaign, rapeseed oil									
Deodorized oil	878.7	0.012	2.720	$\Delta p_c$	27	9449	2268	3167	4543
				$\Delta p_r$		5	5	5	
				$\Delta p_t$		9454	2273	3172	4547
Water	986.75	0.00074	9.436	$\Delta p_c$	1533	23868	4708	8458	5612
				$\Delta p_r$		50	50	50	
				$\Delta p_t$		23919	4758	8509	5663
Third campaign, sunflower oil									
Deodorized oil	879.2	0.0116	1.736	$\Delta p_c$	18	4915	1117	1461	2540
				$\Delta p_r$		2	2	2	
				$\Delta p_t$		4917	1119	1463	2542
Water	986.75	0.00074	6.022	$\Delta p_c$	979	10568	2113	3947	2440
				$\Delta p_r$		20	20	20	
				$\Delta p_t$		10589	2133	3968	2460
Deodorized oil	879.2	0.0116	2.049	$\Delta p_c$	21	6210	1442	1936	3098
				$\Delta p_r$		3	3	3	
				$\Delta p_t$		6213	1445	1939	3101
Water	986.75	0.00074	7.108	$\Delta p_c$	1156	14283	2841	5233	3320
				$\Delta p_r$		29	29	29	
				$\Delta p_t$		14312	2870	5261	3349
Deodorized oil	879.2	0.0116	2.457	$\Delta p_c$	26	8024	1909	2637	3890
				$\Delta p_r$		4	4	4	
				$\Delta p_t$		8028	1913	2641	3894
Water	986.75	0.00074	8.523	$\Delta p_c$	1386	19867	3930	7125	4652
				$\Delta p_r$		41	41	41	
				$\Delta p_t$		19908	3972	7166	4693
Deodorized oil	879.2	0.0116	2.713	$\Delta p_c$	28	9226	2224	3120	4422
				$\Delta p_r$		5	5	5	
				$\Delta p_t$		9231	2229	3125	4426
Water	986.75	0.00074	9.410	$\Delta p_c$	1530	23635	4691	8430	5590
				$\Delta p_r$		50	50	50	
				$\Delta p_t$		23685	4741	8481	5641

In the PHE #6, the pressure drop calculated with Kumar correlation is higher than after the use of other methods, and all the other considerations for PHE# 3 and #5 (oil-water) are valid for PHE#6.

To compare all the pressure drop values obtained by applying different methods, the results of calculations with Buonopane & Troupe correlation were taken as a reference and relative errors to this were calculated.

The relative error is calculated with Eq. 12:

$$\text{relative error} = \frac{\Delta p_x - \Delta p_{\text{Buonopane}}}{\Delta p_{\text{Buonopane}}} \times 100 \text{ [\%]} \quad (12)$$

The comparison was made only for liquid as a working fluid, because the original correlations were worked out on experimental data on liquids. Results are presented in Table 7:

**Table 7.** Average relative errors of pressure drop values calculated with different methods compared with those obtained with Buonopane & Troupe method, %.

PHE #	Kumar method	Mulley method	Bond I method
1	+136.5	-2.0	-41.7
2	+114.0	-36.4	-37.7
3	+183.8	-29.4	-35.9
4	+171.63	-9.0	-35.7
5	+176.32	+16.3	-38.2
6	+191.01	+11.7	-36.1

The pressure drop values calculated with Mulley relationship and Buonopane & Troupe correlation were close and also Bond's equation gave results close to the previous but systematically underestimated. Kumar correlation gave results far from all the others and its application will lead to oversize.

Following this comparative study we recommend the relationships of Mulley and that of Buonopane to be used for the estimation of pressure drop in gasket plate heat exchangers. The Kumar correlation should be applied with caution since it results in oversizing.

## 5. Conclusions

Different models developed by Kumar, Mulley, Bond and Buonopane & Troupe were applied in industrial conditions on six PHEs in an industrial plant, in different size and working with different fluids (oils with changing properties, cooling water and condensing steam).

The pressure drop values calculated with Mulley relationship and Buonopane correlation were very close and also Bond's equation gave results close to the previous but slightly underestimated. Kumar correlation gave results far from all the others and its application will lead to oversize.

Following this comparative study we recommend the relationships of Mulley and Buonopane & Troupe for the estimation of pressure drop in gasket plate heat exchangers. The Kumar correlation should be applied with caution since it results in oversizing.

These correlations wouldn't be considered for the calculation of pressure drop on condensing steam circuits since they weren't worked out for this type of fluid.

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